

For the following experiments, find the probability in each case:

Question # 1

Experiment:

From a box containing orange-flavoured sweets, Bilal takes out one sweet without looking.

Events happening:

- (i) the sweet is orange-flavoured (ii) the sweet is lemon-flavoured

Solution Total possible outcomes = $n(S) = 1$

- (i) Suppose A is the event that sweet is orange flavoured.

Since box only contained orange flavoured sweets

So favourable outcomes = $n(A) = 1$

$$\text{Probability} = P(A) = \frac{n(A)}{n(S)} = \frac{1}{1} = 1$$

- (ii) Let B be the event that the sweet is lemon-flavoured.

Since box only contained orange-flavoured sweet

So favourable outcomes = $n(B) = 0$

$$\text{Probability} = P(B) = \frac{n(B)}{n(S)} = \frac{0}{1} = 0$$

Question # 2

Experiment:

Pakistan and India play a cricket match. The result is:

- (i) Pakistan wins (ii) India does not lose.

Solution Since there are three possibilities that Pakistan wins, loses or the match tied.

Therefore possible outcomes = $n(S) = 3$

- (i) Let A be the event that Pakistan wins

Favourable outcomes = $n(A) = 1$

$$\text{Required probability} = P(A) = \frac{n(A)}{n(S)} = \frac{1}{3}$$

- (ii) Let B be the event that India does not lose.

If India does not lose then India may win or the match tied

Therefore favourable outcomes = $n(B) = 2$

$$\text{Required probability} = P(B) = \frac{n(B)}{n(S)} = \frac{2}{3}$$

Question # 3

Experiment:

There are 5 green and 3 red balls in a box, one ball is taken out.

Event happening

(i) the ball is green

(ii) the ball is red

Solution Total number of balls = $5 + 3 = 8$ Therefore possible outcomes = $n(S) = 8$ (i) Let A be event that the ball is greenThen favourable outcomes = $n(A) = 5$ So probability = $P(A) = \frac{n(A)}{n(S)} = \frac{5}{8}$ (ii) Let B be the event that the ball is redThen favourable outcomes = $n(B) = 3$ So probability = $P(A) = \frac{n(B)}{n(S)} = \frac{3}{8}$ **Question # 4**

Experiment:

A fair coin is tossed three times. It shows

Event happening

(i) One tail

(ii) atleast one head

Solution When a fair coin is tossed three times, the possible outcomes are

HHH, HHT, HTH, THH, HTT, THT, TTH, TTT.

So total possible outcomes = $n(S) = 8$ (i) Let A be the event that the coin shows one tail then favourable outcomes are HHT, HTH, THH,i.e. $n(A) = 3$ So required probability = $P(A) = \frac{n(A)}{n(S)} = \frac{3}{8}$ (ii) Let B be the event that coin shows at least one head then favourable outcomes are

HHH, HHT, HTH, THH, HTT, THT, TTH.

i.e. $n(B) = 7$ So required probability = $P(B) = \frac{n(B)}{n(S)} = \frac{7}{8}$ **Question # 5**

Experiment:

A die is rolled. The top shows

Event happening

(i) 3 or 4 dots

(ii) dots less than 5

Solution The possible outcomes are that die show 1, 2, 3, 4, 5, 6.So possible outcomes = $n(S) = 6$ (i) Let A be the event that die show 3 or 4.Then favourable outcomes = $n(A) = 2$

(ii) Let B be the event that the total of two scores is 7 then favourable outcomes are

$$(1, 6), (2, 5), (3, 4), (4, 3), (5, 2), (6, 1)$$

i.e. favourable outcomes = $n(B) = 6$

$$\text{So probability} = P(B) = \frac{n(B)}{n(S)} = \frac{6}{36} = \frac{1}{6}$$

(iii) Let C be the event that the total of two score is 11 then favourable outcomes are (5, 6), (6, 5) i.e. $n(C) = 2$

$$\text{So probability} = P(B) = \frac{n(B)}{n(S)} = \frac{2}{36} = \frac{1}{18}$$

Question # 8

Experiment:

A bag contain 40 balls out of which 5 are green, 15 are black and the remaining are yellow, A ball is taken out of the bag.

Event happening

- (i) The ball is black (ii) The ball is green (iii) The ball is not green.

Solution Total number of balls = 40 i.e. $n(S) = 40$

Black balls = 15, Green balls = 5, Yellow balls = $40 - (15+5) = 20$

(i) Let A be the event that the ball is black then $n(A) = 15$

$$\text{So required probability} = P(A) = \frac{n(A)}{n(S)} = \frac{15}{40} = \frac{3}{8}$$

(ii) Let B denotes the event that the ball is green then $n(B) = 5$

$$\text{So required probability} = P(B) = \frac{n(B)}{n(S)} = \frac{5}{40} = \frac{1}{8}$$

Let C denotes the event that the ball is not green then ball is either black or yellow therefore favourable outcomes = $n(C) = 15 + 20 = 35$

$$\text{So required probability} = P(C) = \frac{n(C)}{n(S)} = \frac{35}{40} = \frac{7}{8}$$

Question # 9

Experiment:

One chit out of 30 containing the names of 30 students of a class of 18 boys and 12 girls is taken out at random, for nomination as the monitor of the class.

Event happening

- (i) The monitor is the boy (ii) The monitor is the girl.

Solution Number of students = 30

Then possible outcomes = $n(S) = 30$

- (i) Now if
- A
- be the event that the monitor is the boy then

Favourable outcomes = $n(A) = 18$

$$\text{So probability} = P(A) = \frac{n(A)}{n(S)} = \frac{18}{30} = \frac{3}{5}$$

- (ii) Now if
- B
- be the event that the monitor is the girl then

Favourable outcomes = $n(B) = 12$

$$\text{So probability} = P(B) = \frac{n(B)}{n(S)} = \frac{12}{30} = \frac{2}{5}$$

Question # 10

Experiment:

A coin is tossed four times. The top show

Event happening

- (i) All heads (ii) 2 head and 2 tails.

Solution When the coin is tossed four times the possible outcomes are

HHHT	HHTH	HTHH	THHH
HHTT	HTTH	TTHH	THHT
HTTT	TTTH	TTHT	THTT
TTTT	HHHH	THTH	HTHT

i.e. $n(S) = 16$

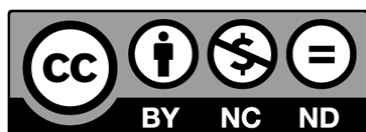
- (i) Let
- A
- be the event that the top shows all head then
-
- favourable outcome is HHHH i.e.
- $n(A) = 1$

$$\text{Now probability} = P(A) = \frac{n(A)}{n(S)} = \frac{1}{16}$$

- (ii) Let
- B
- be the event that the top shows 2 head and two tails the favourable outcomes are HHTT, HTTH, TTHH, THHT, THTH, HTHT

i.e. $n(B) = 6$

$$\text{Now probability} = P(B) = \frac{n(B)}{n(S)} = \frac{6}{16} = \frac{3}{8}$$

If you found any error, please report us at www.mathcity.org/error**Book:** *Exercise 7.5**Text Book of Algebra and Trigonometry Class XI**Punjab Textbook Board, Lahore.**Available online at <http://www.MathCity.org> in PDF Format**(Picture format to view online).**Page setup: A4 (8.27 in × 11.02 in). Updated: August, 23, 2017*

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